

13. Confluent Hypergeometric Functions

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Table 13.1. Confluent Hypergeometric Function $M(a, b, x)$	516
$x = .1(.1)1(1)10, a = -1(.1)1, b = .1(.1)1, 8S$	
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$a = -1(.1) - .1, b = .1(.1)1, 7D$	

The tables were calculated by the author on the electronic calculator EDSACI in the Mathematical Laboratory of Cambridge University, by kind permission of its director, Dr. M. V. Wilkes. The table of $M(a, b, x)$ was recomputed by Alfred E. Beam for uniformity to eight significant figures.

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